

Weakly Prime Ideals

some name

1 section name

Definition 1.1 For I as an ideal of R , we define

- (1) I is prime if $a, b \in R$ with a implies that $a \in I$ or $b \in I$ [4, 5];
- (2) then there are n of the a_i 's whose product is in I [2];
- (3) I is if whenever $a_1 \cdots a_n \in I$ for $a_i \in R$, then there are n of the a_i 's whose product is in I [3];

Theorem 1.1 Let R_1 and R_2 are rings in which every proper ideal is a product of weakly prime ideals, then $R_1 \times R_2$ also enjoys this property.

The following theorem follows from Theorem 1.1.

References

- [1] some bib
- [2] some bib
- [3] some bib
- [4] some bib
- [5] some bib